



National Alliance
for Water Innovation

Valuing Energy Flexibility in Desalination

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FILTER BACKWASH ↓

↑ SEAWATER

↑ FLUSHING

↑ CIP

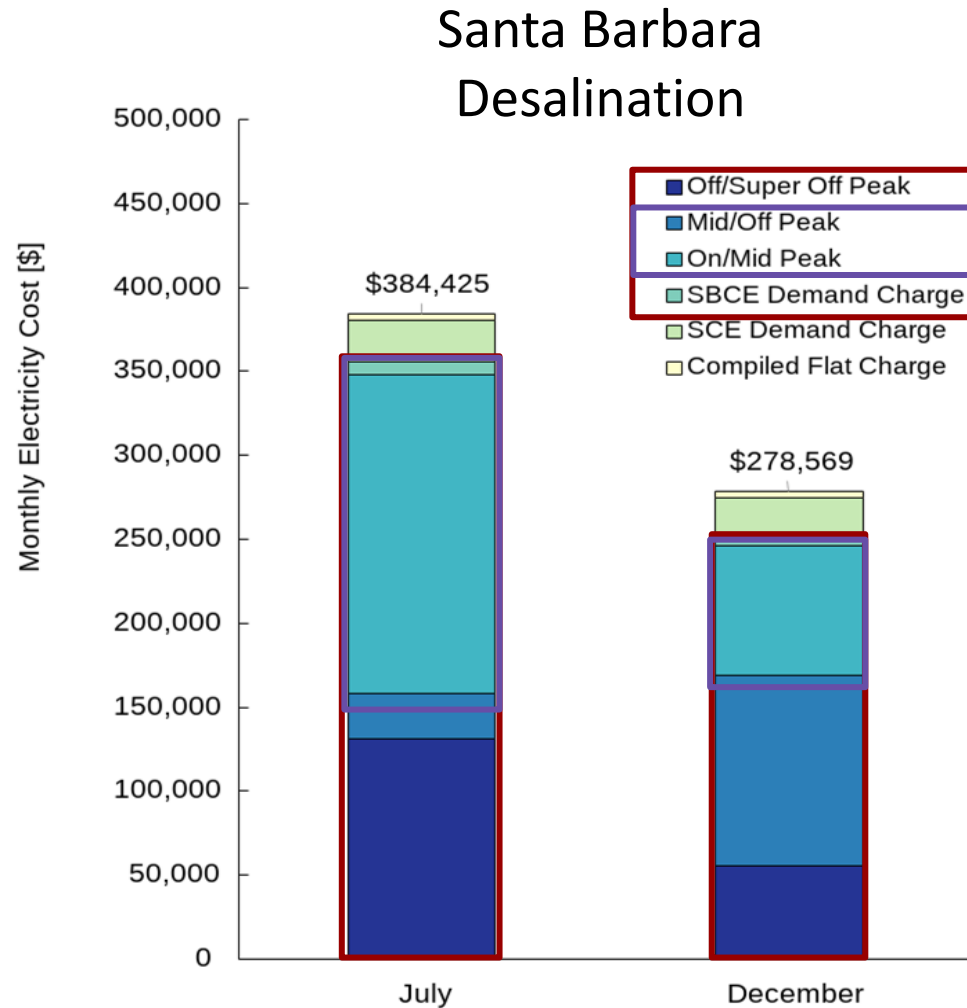
BRINE ↓

FLUSHING ↓

CIP ↓

PERMEATE ↓

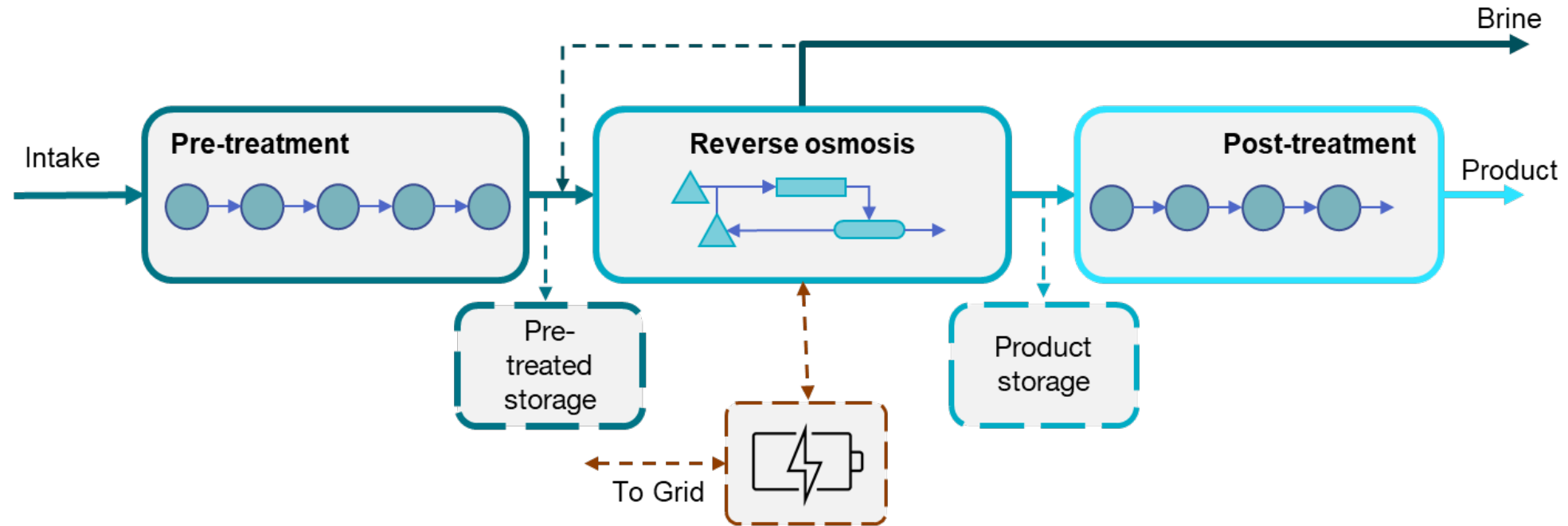
Time-varying costs are an opportunity for arbitrage



~90% of the electricity bill is tied to the time-of-use

30-50% of the electricity bill is charged during 4-9pm

Mechanisms of energy flexibility in municipal desalination

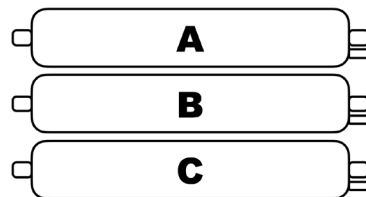


Each flexibility mechanism has unique energy dynamics and cost implications

Pump Flows and Pressures



Parallel Skid Shutdown



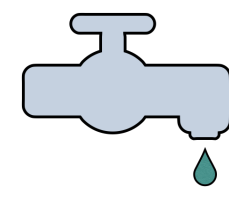
Water Storage



Energy Storage

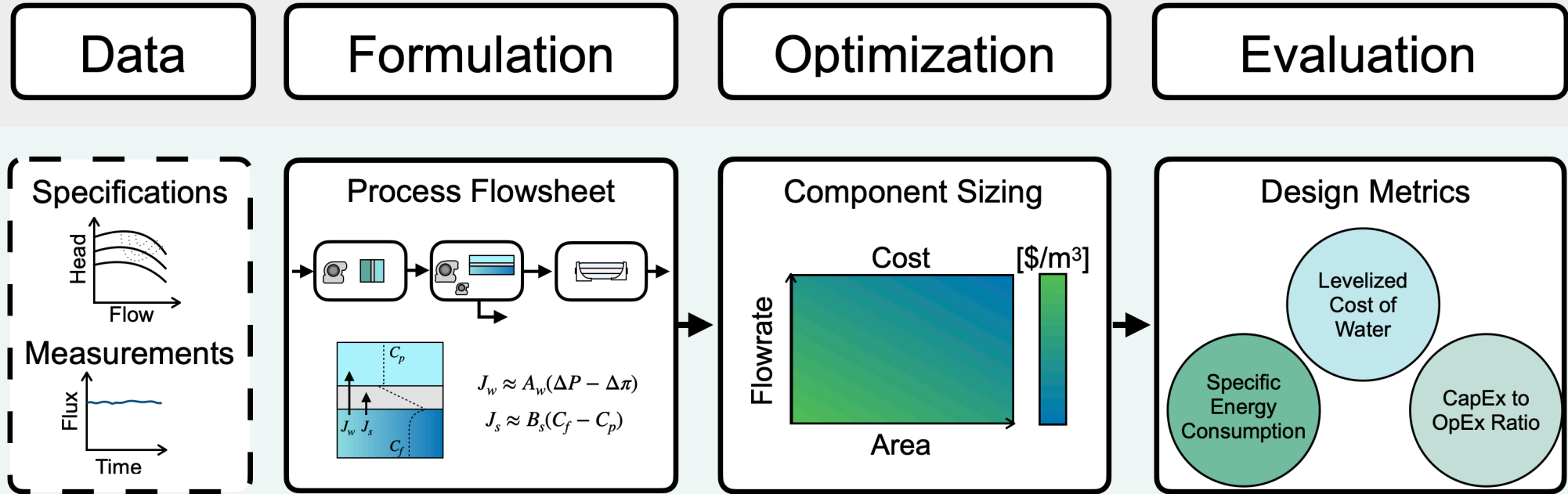


Supply Curtailment

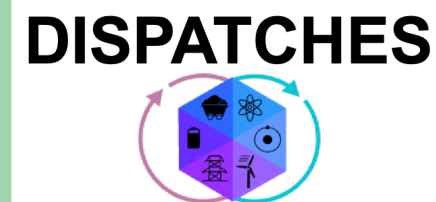
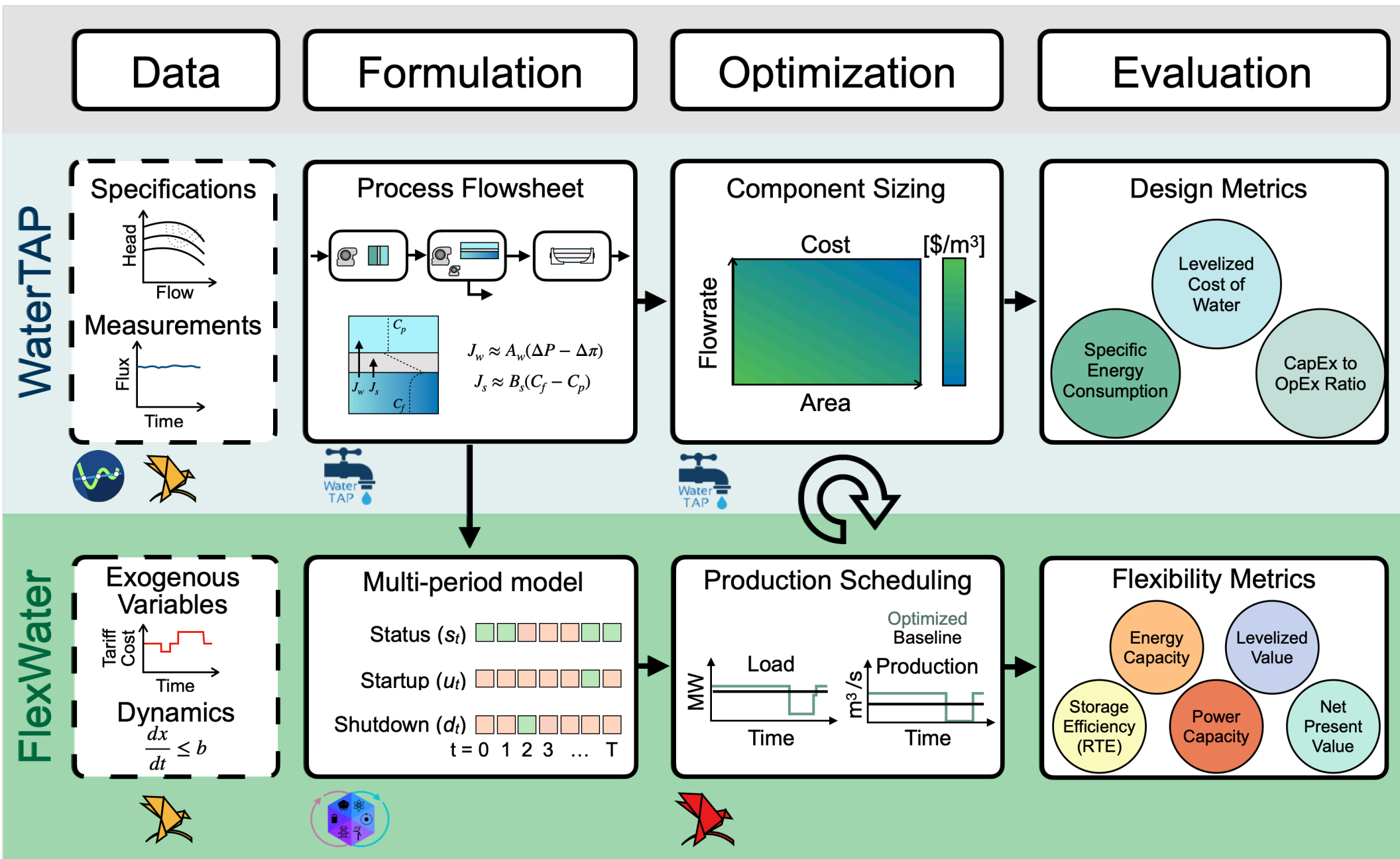


A framework for optimizing & valuing energy flexibility

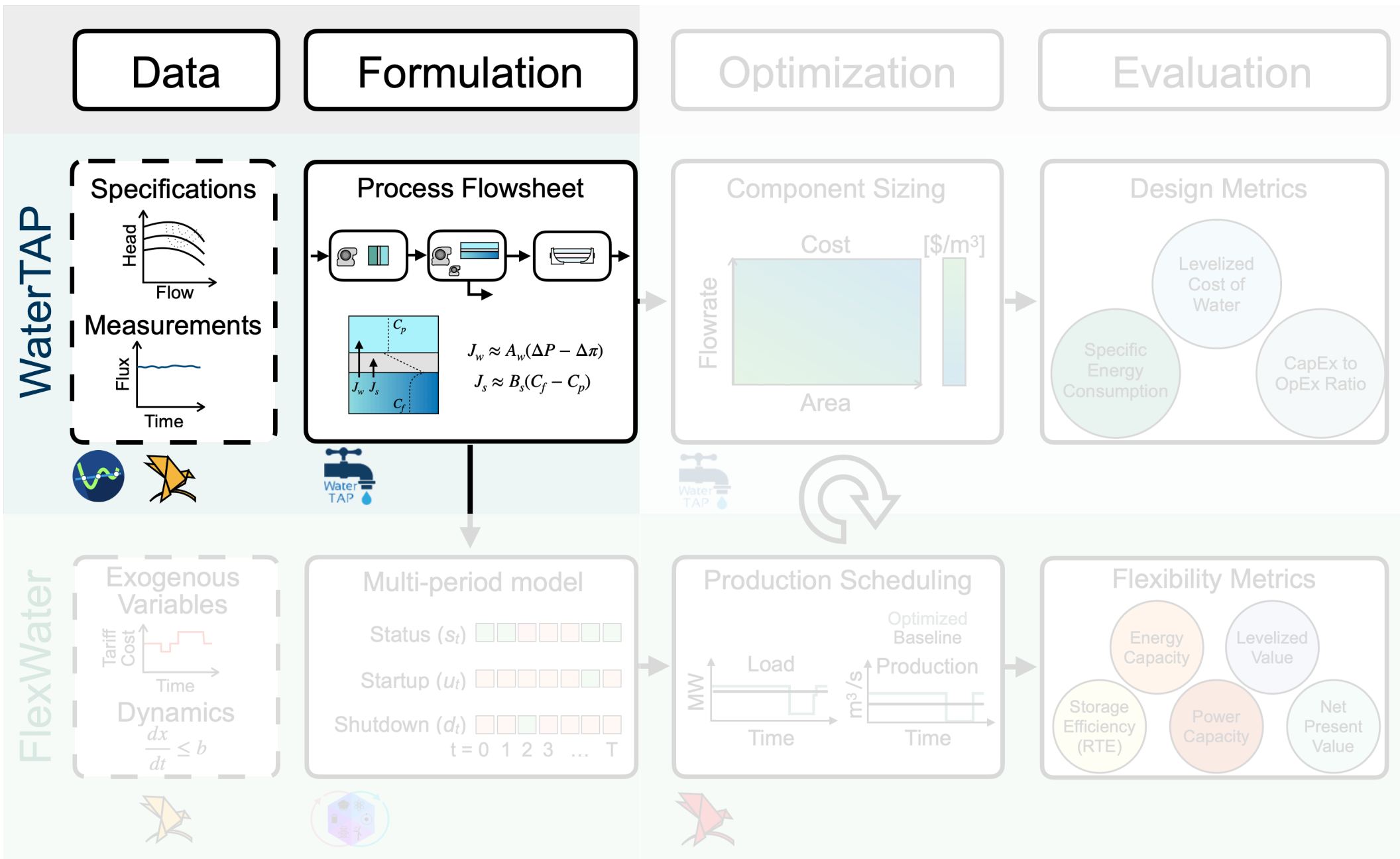
WaterTAP



A framework for optimizing & valuing energy flexibility



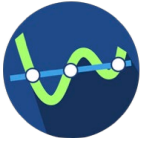
Steady-state model tuning and parameter estimation



WaterTAP

FlexWater

Steady-state model tuning: Variable efficiency pumps



Minimize

Model predictions
vs. measured data

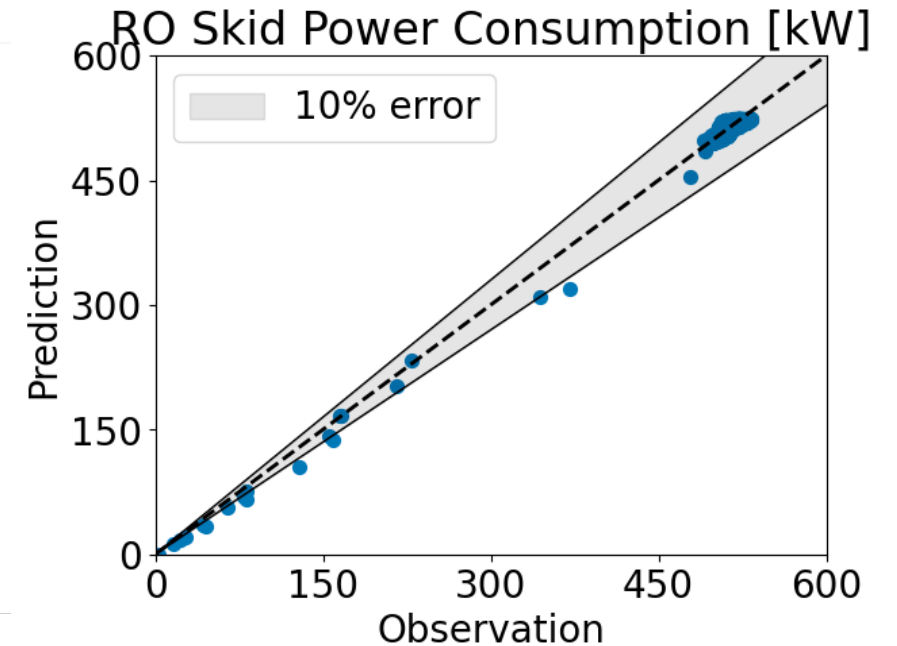
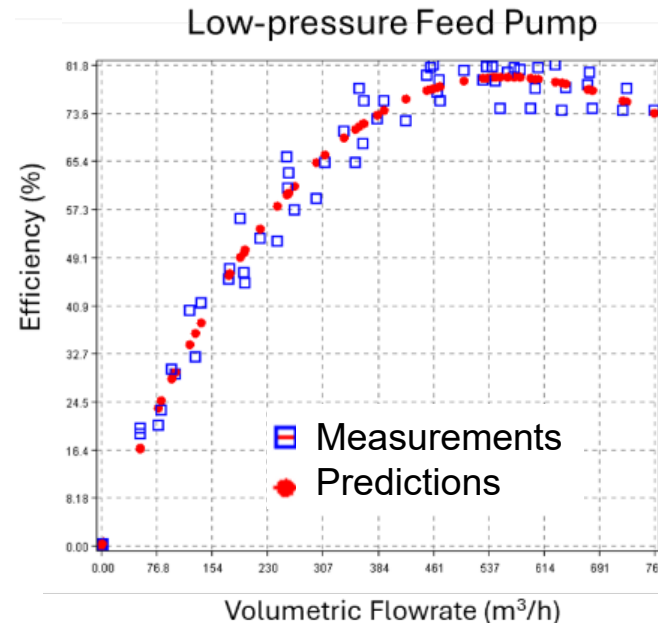
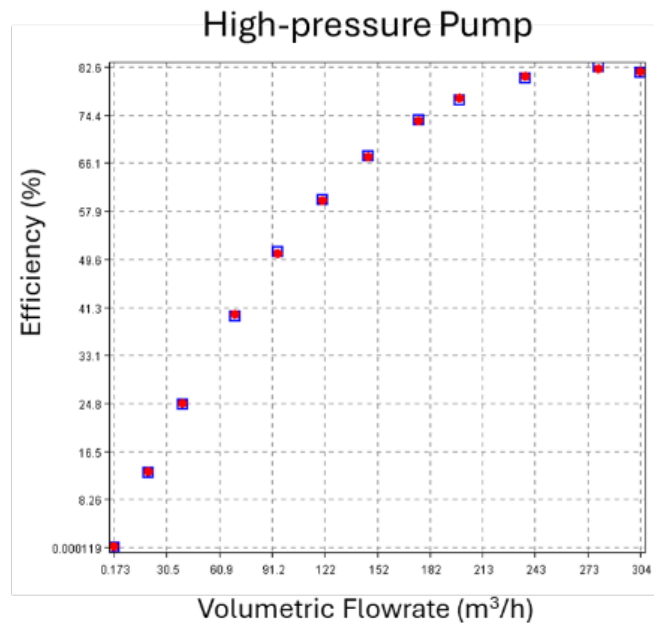
$\eta_{VFD \& Motor}$



Tune pump curves with
motor and VFD losses

Subject To

Manufacturer pump
curves



Estimating model parameters: Membrane transport



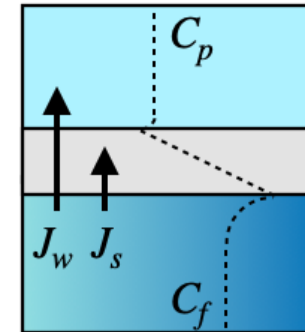
Minimize

Model predictions vs. measured data

A, B

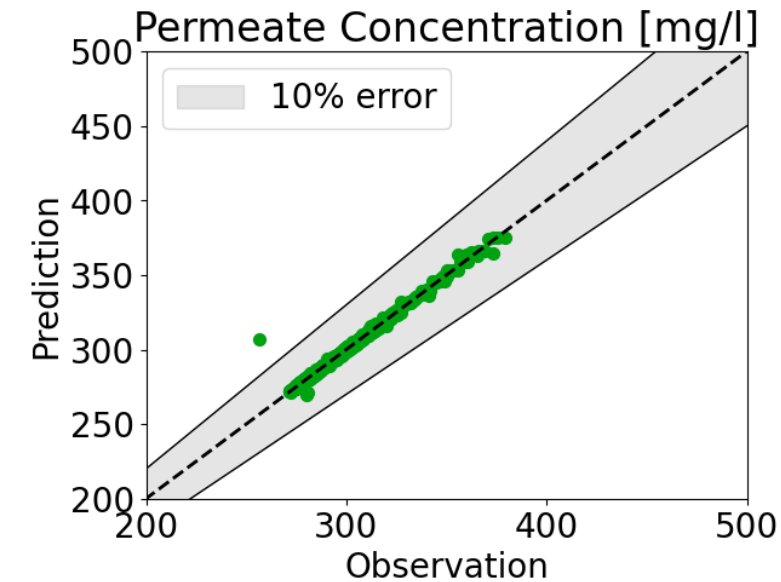
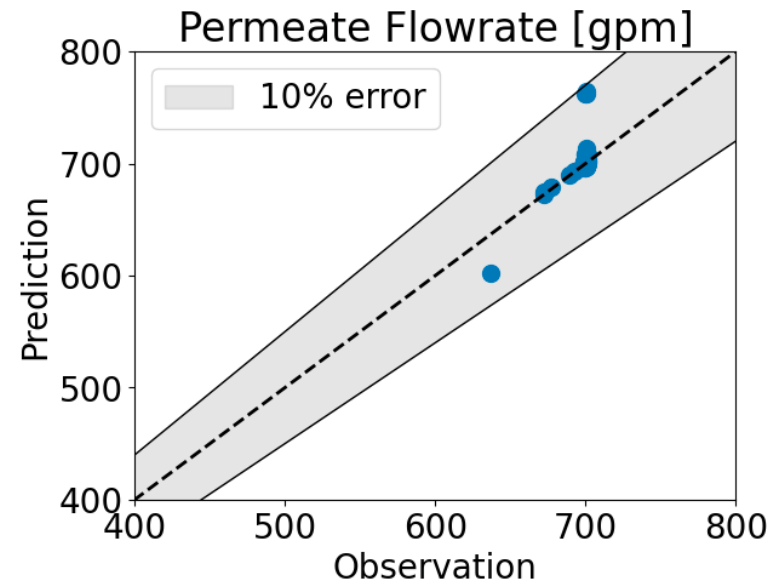
Subject To

WaterTAP Reverse Osmosis Unit model

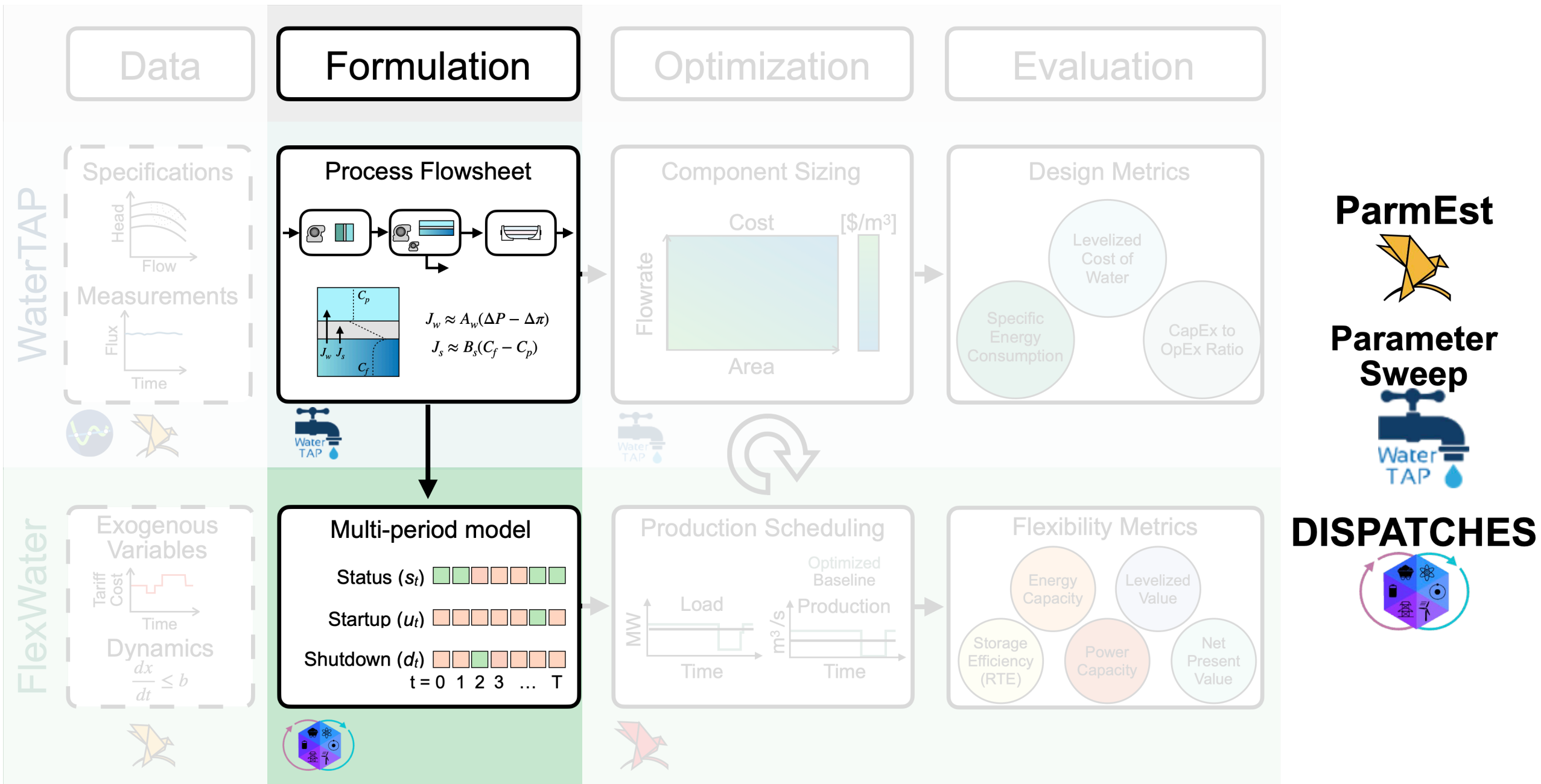


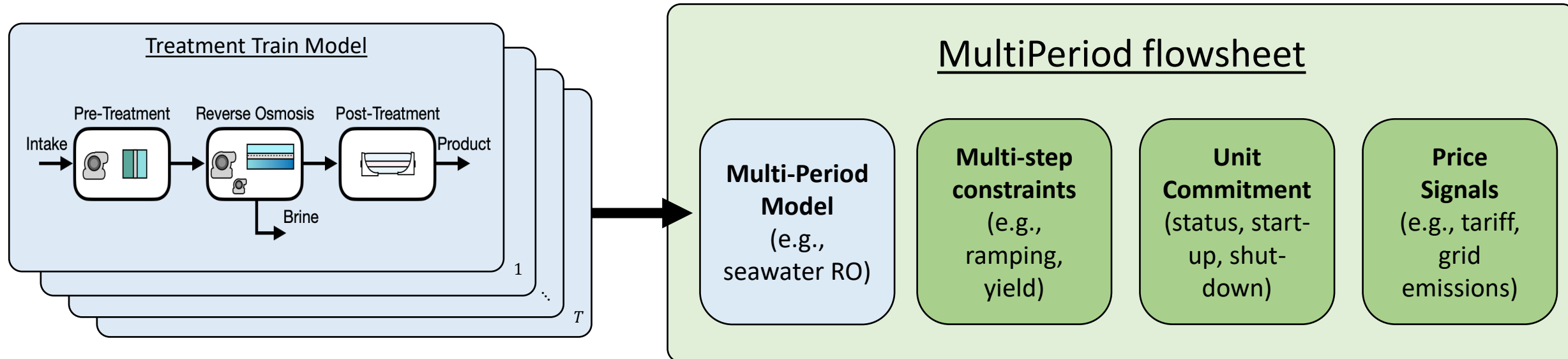
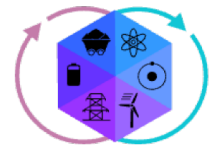
Estimate membrane transport properties

Parameter	Estimated Value
Water Permeability (A)	$1.56 \pm 0.13 \times 10^{-12}$
Salt Selectivity (B)	$3.38 \pm 0.267 \times 10^{-8}$



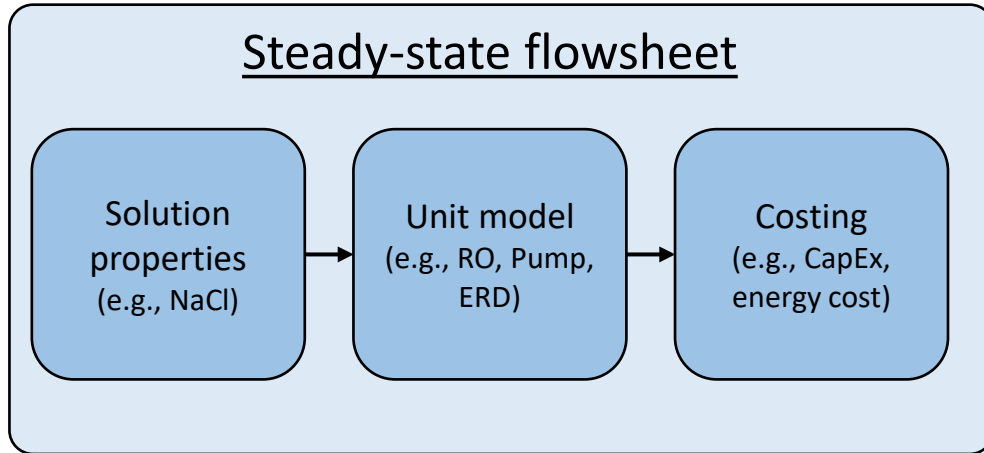
Multiperiod models from steady-state flowsheets



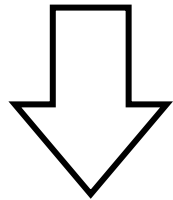


Formulates the water production scheduling problem as a mixed integer non-linear program

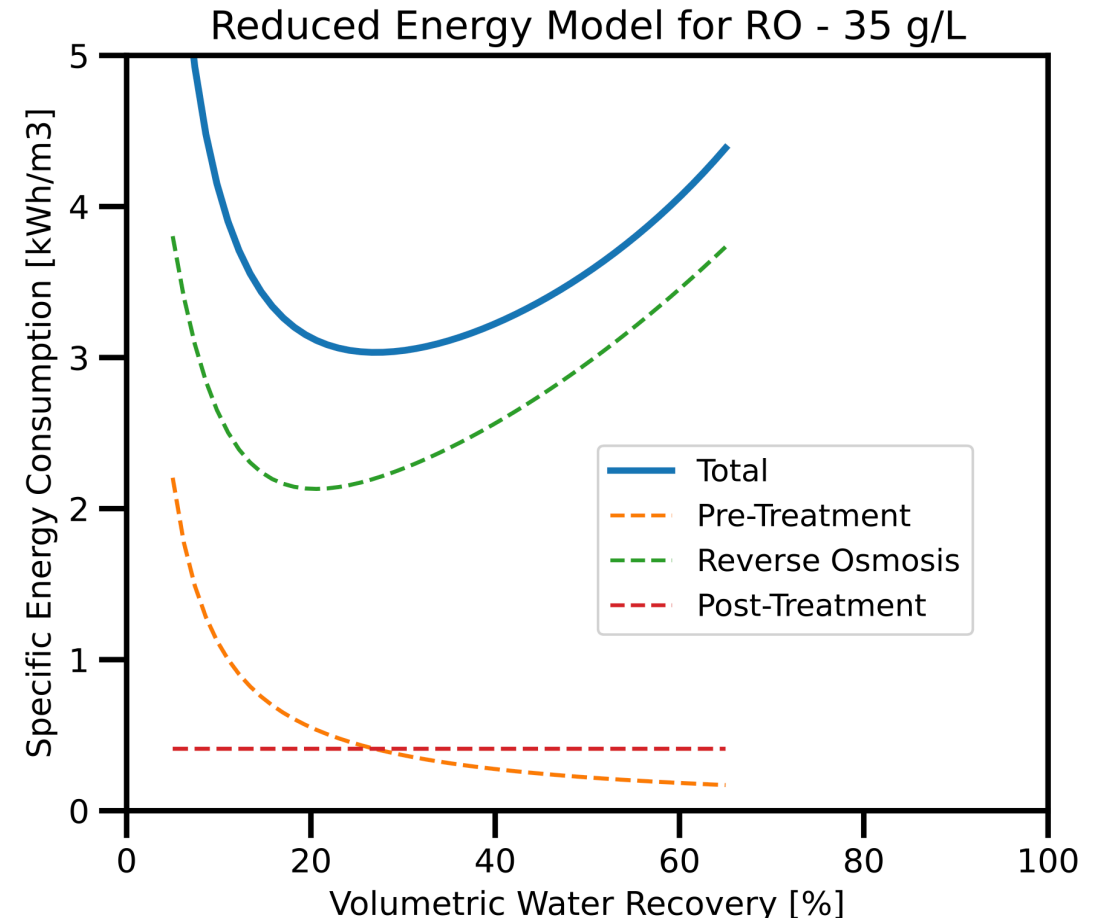
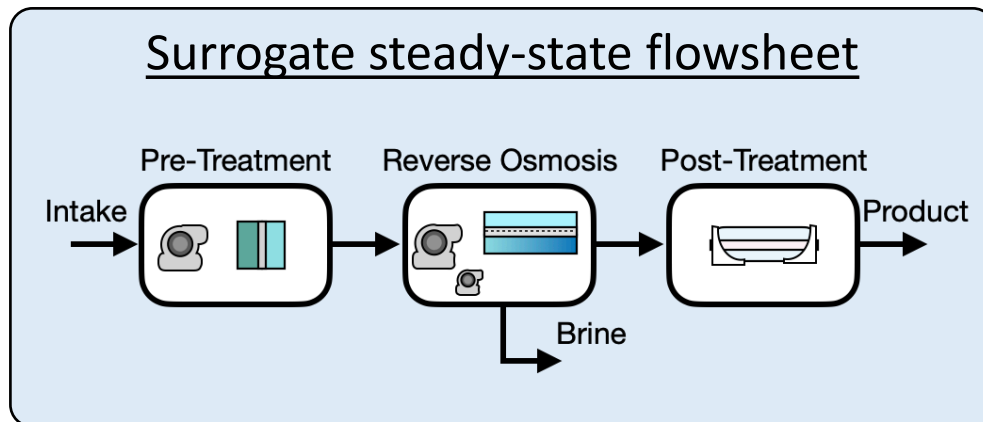
Reduced order unit models for energy flexibility



~400 variables
per timestep



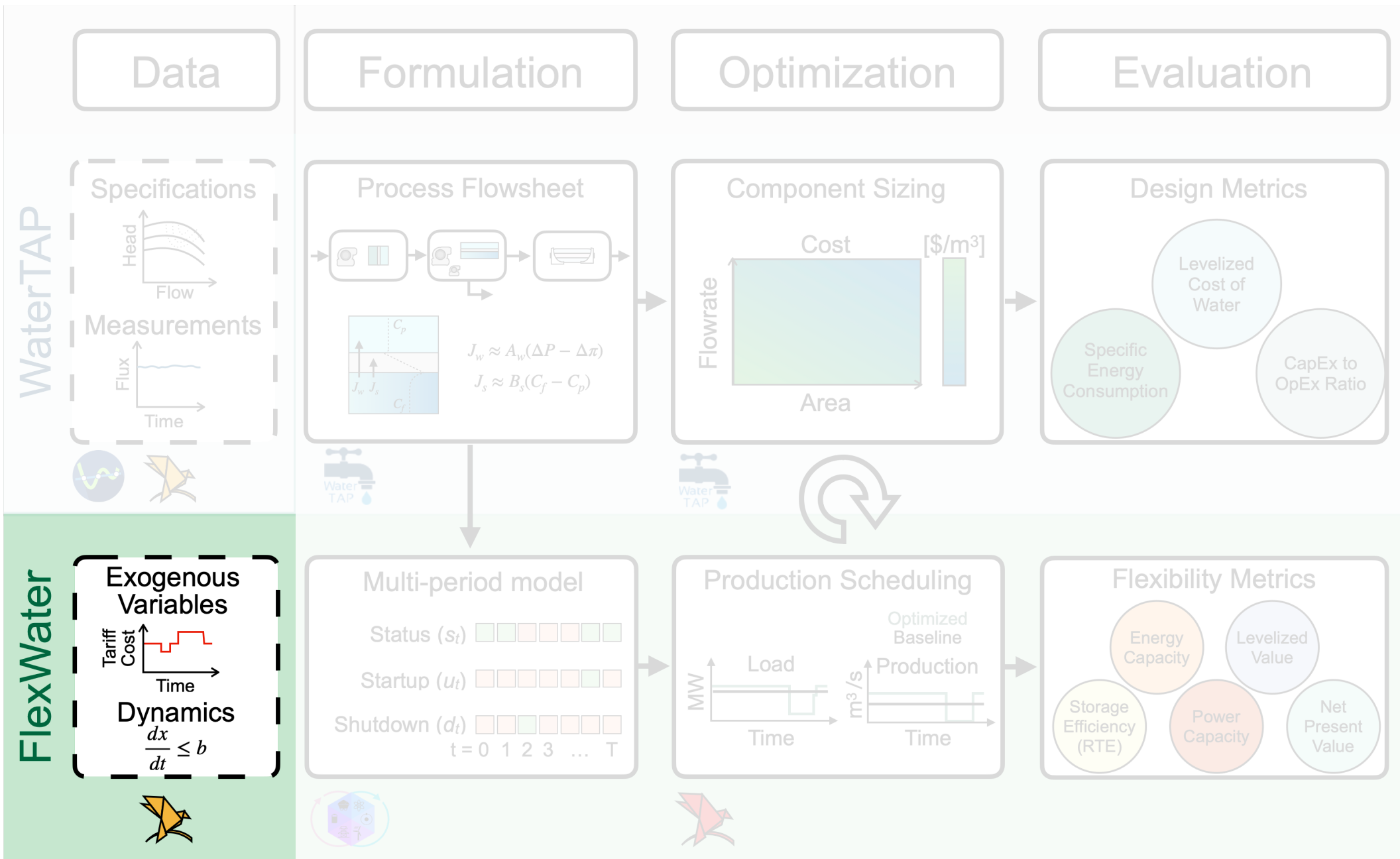
~30 variables
per timestep



$$SEC_{RO} = ae^{-br} + cr^2 + d$$

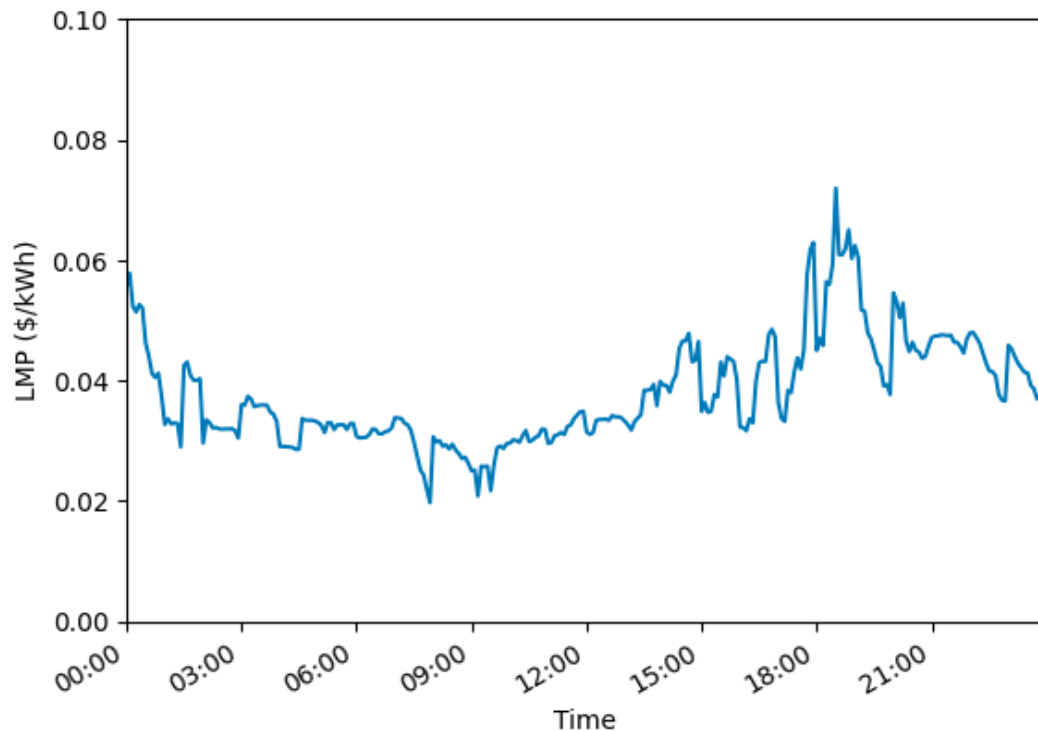
Convex on r and low dimensional on $\{a, b, c, d\}$

A framework for optimizing & valuing energy flexibility

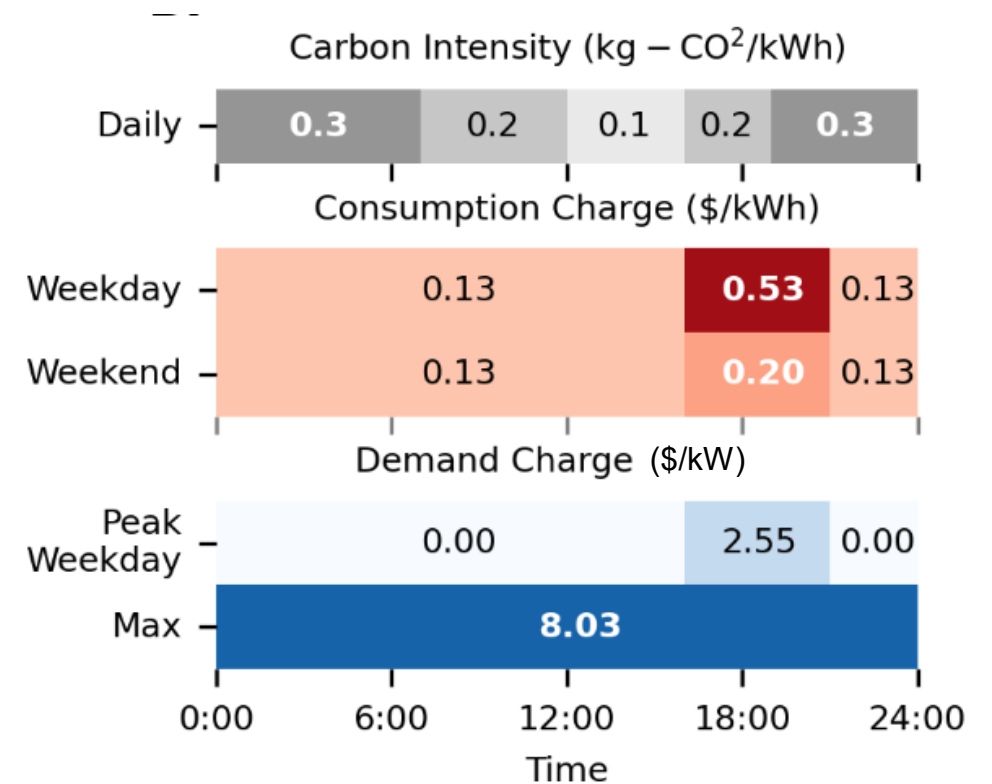


Water facilities don't usually buy wholesale electricity

Locational Marginal Price (CAISO aggregate example)



Industrial Electricity Tariff (Southern California Edison)

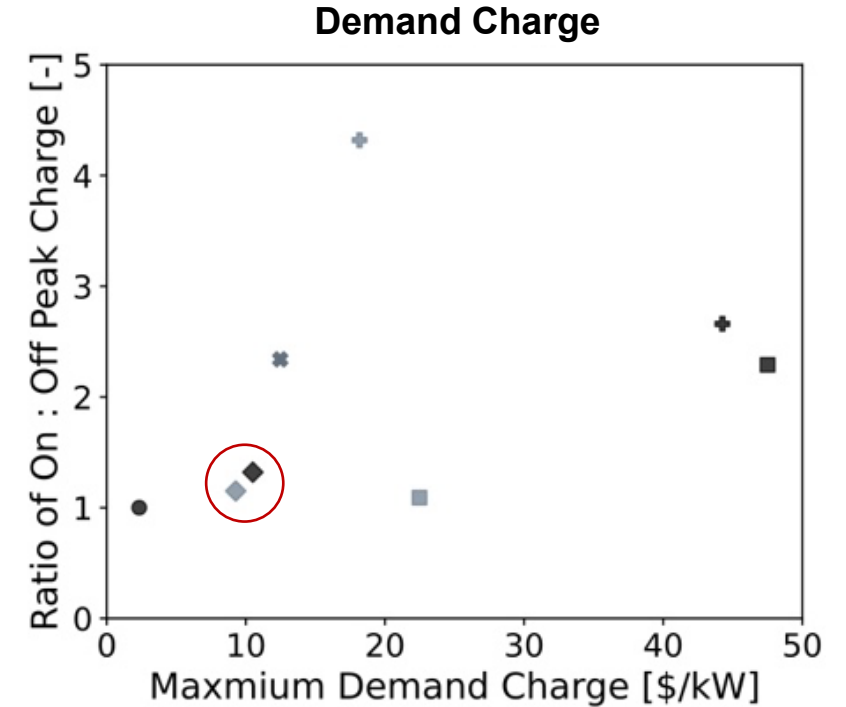
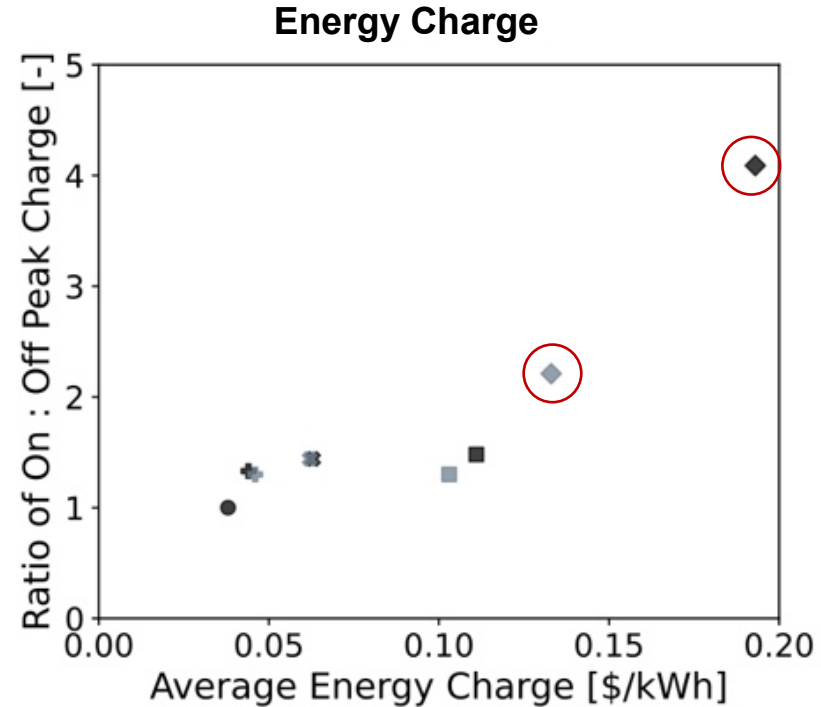


Tariffs may have high geographical variance and complex charge structures

Database for industrial electricity tariffs

Water Utility	Symbol
Santa Barbara, CA	◆
	◆
San Jose, CA	■
	■
Tampa, FL	✕
	✕
New York, NY	+
	+
Houston, TX	●

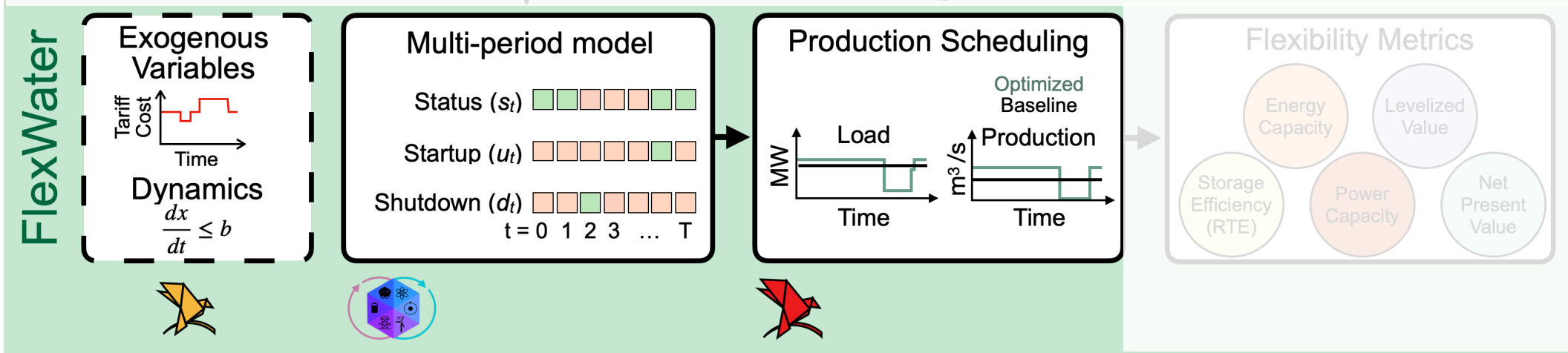
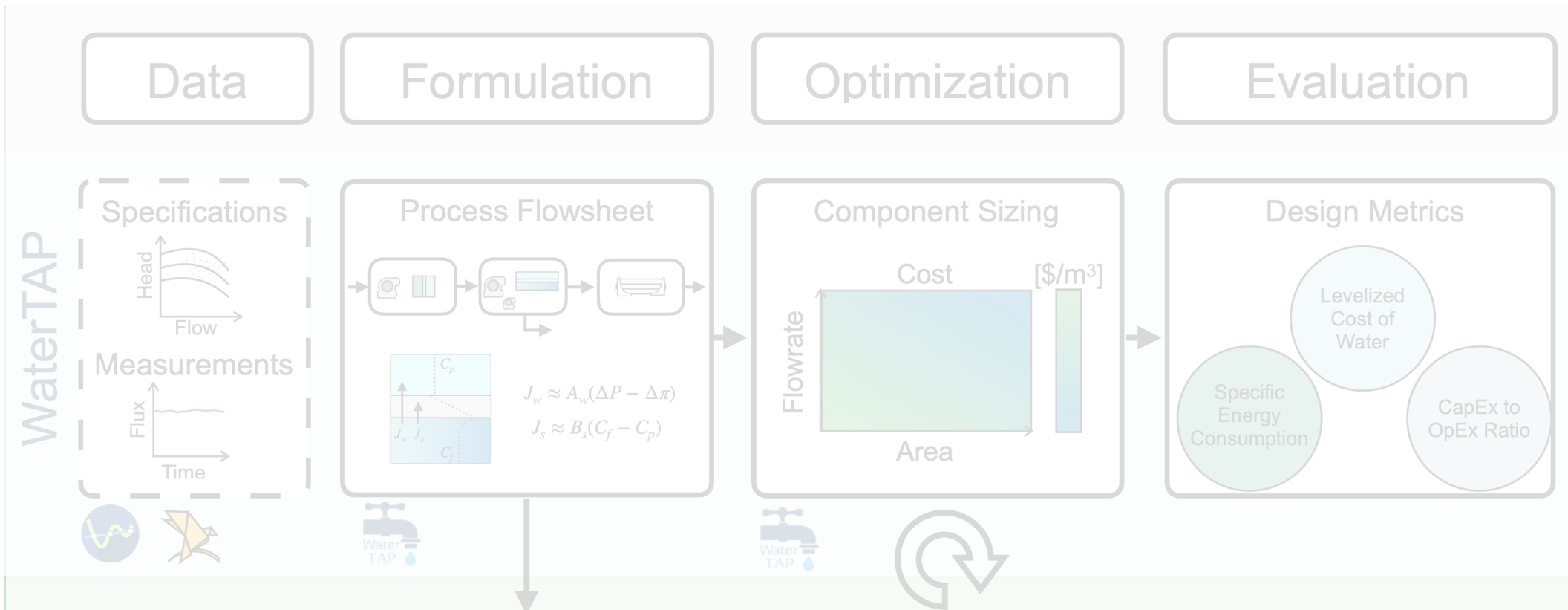
Summer
Winter



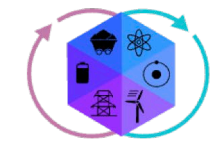
~100 tariffs of water utilities → expanding to 3000+ tariffs relevant to general industrials

Processed in a modeling-friendly format in CVXPY → expanding for general Pyomo model integration

A framework for optimizing & valuing energy flexibility



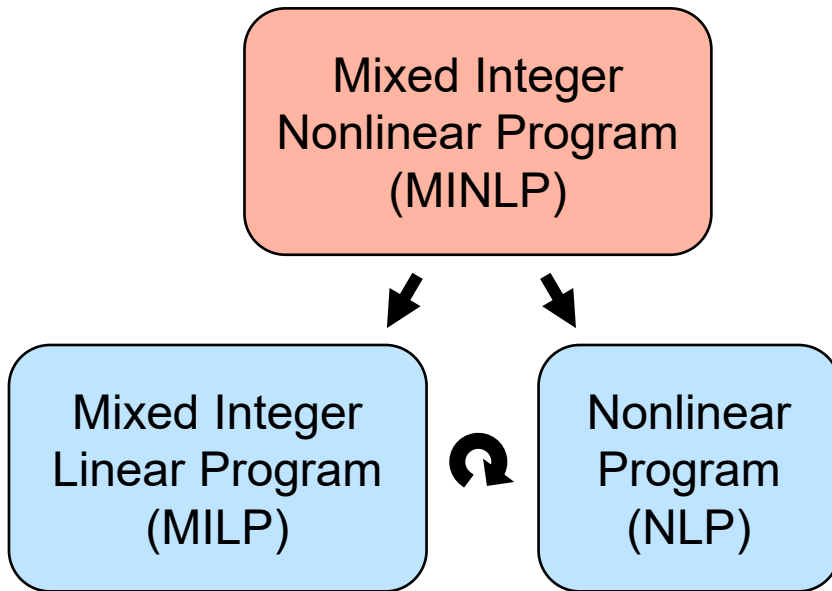
DISPATCHES



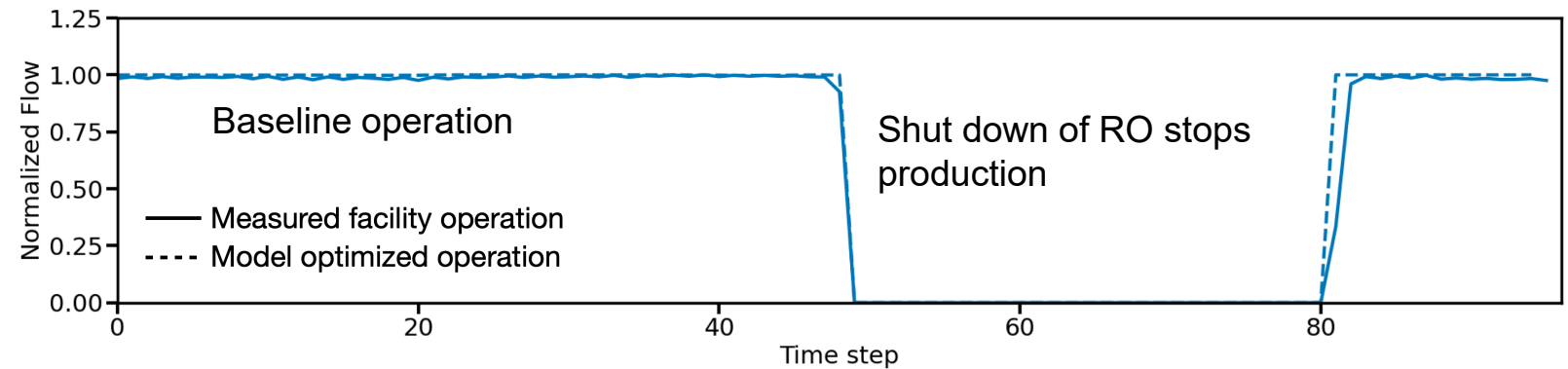
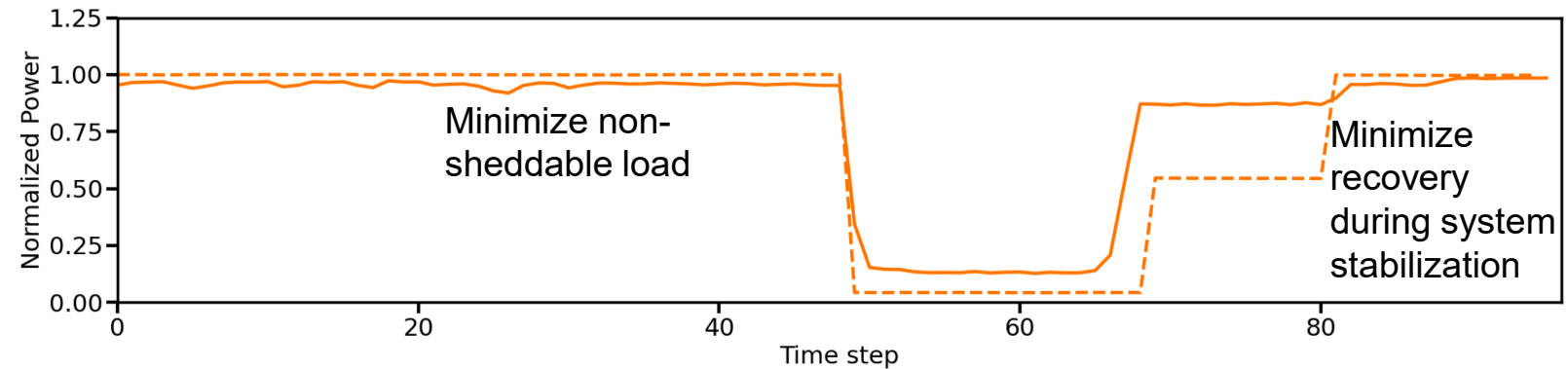
MINDTPy



Efficiently solving MINLP scheduling models with MINDTPy

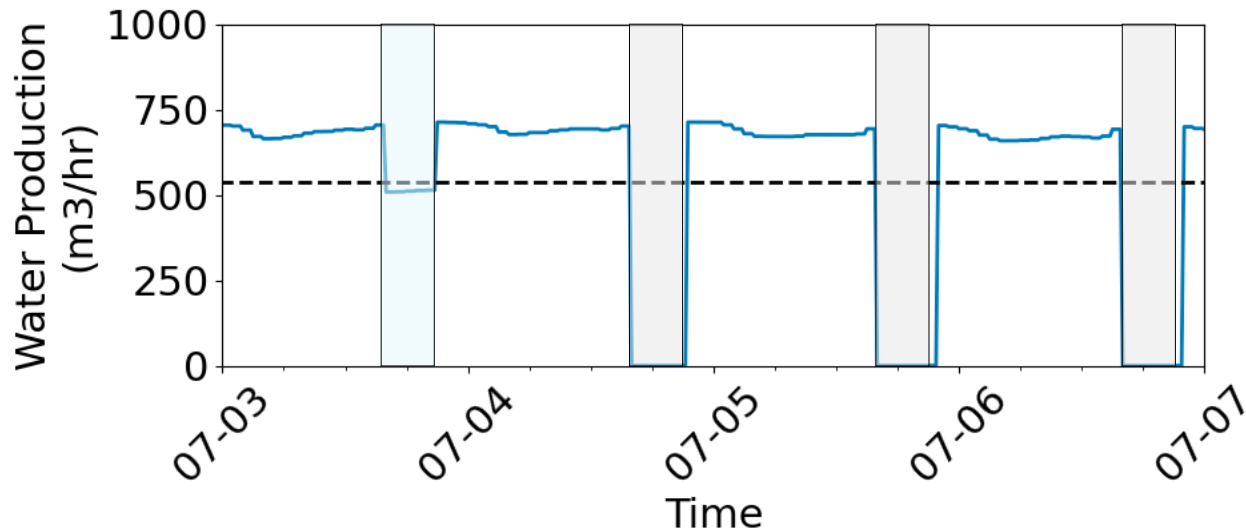
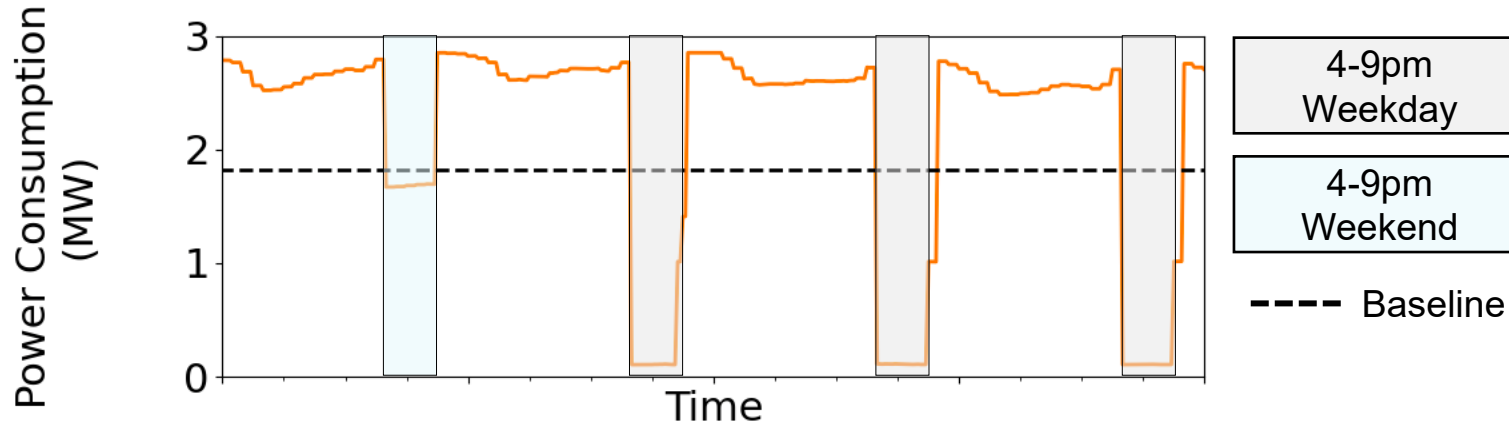


Model resolves key features of a facility shut down event



```
solver = SolverFactory('mindtpy') results =  
solver.solve(model,  
strategy='OA',  
mip_solver='gurobi',  
nlp_solver='ipopt')
```

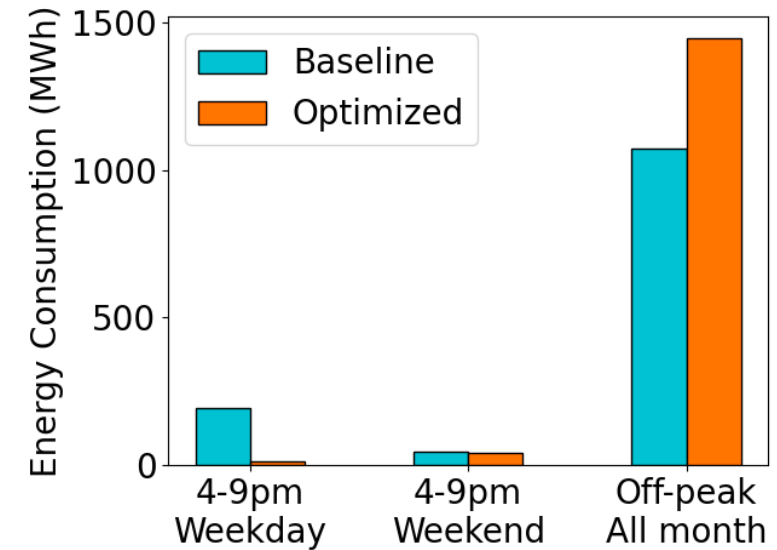
Optimize plant operations for a monthly energy bill



Minimize: Monthly cost

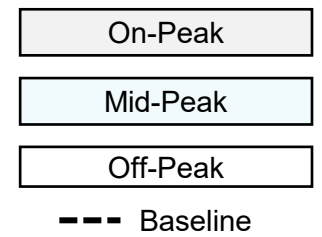
Subject to:

- Facility dynamics
- Monthly water production
- 15-min time steps over 31 days
- \$100/ton cost of carbon

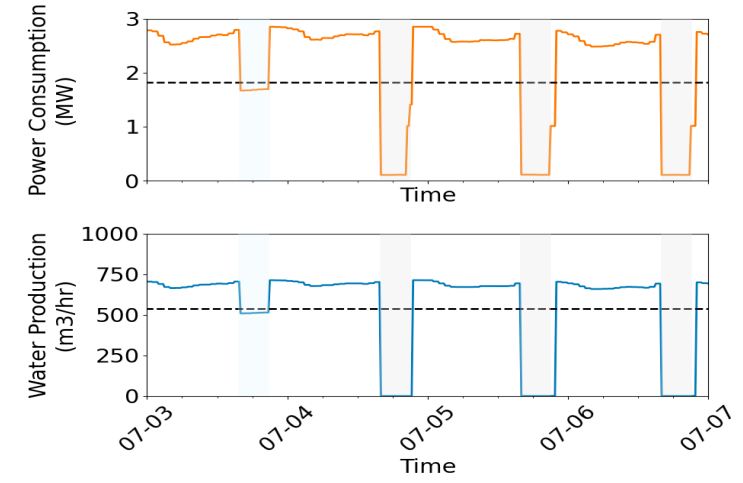
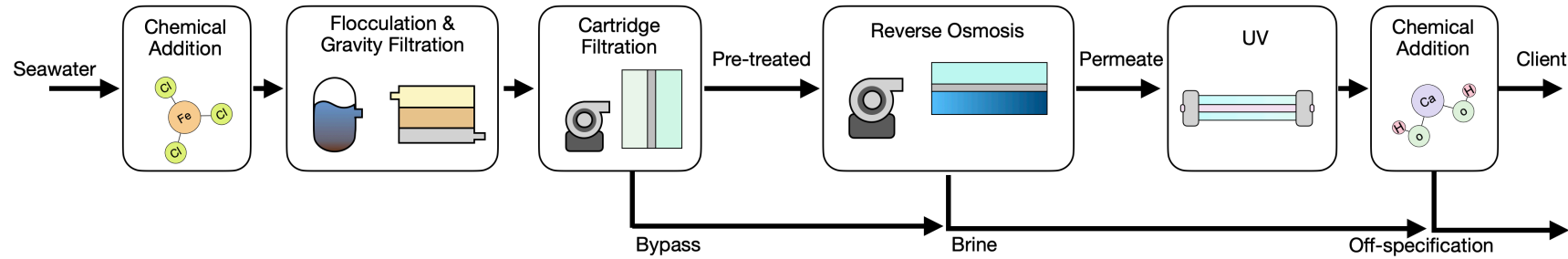


Model projects over 18% cost savings relative to baseline

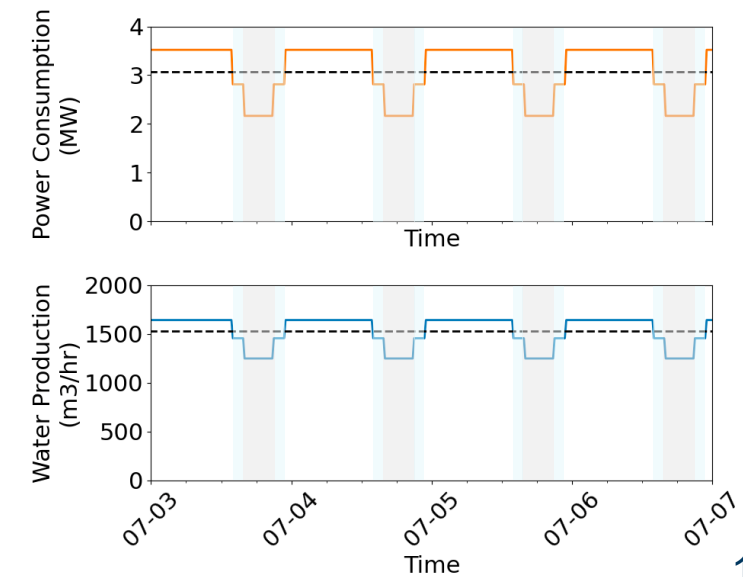
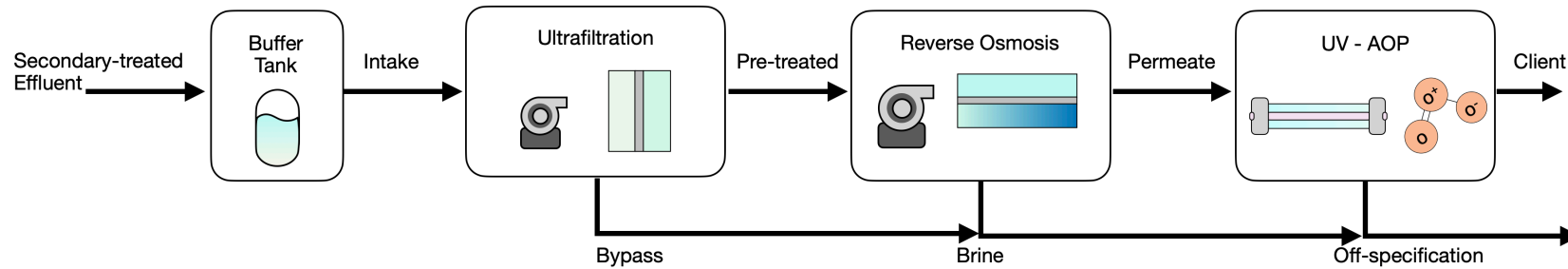
Flexible formulation enables scenario analysis



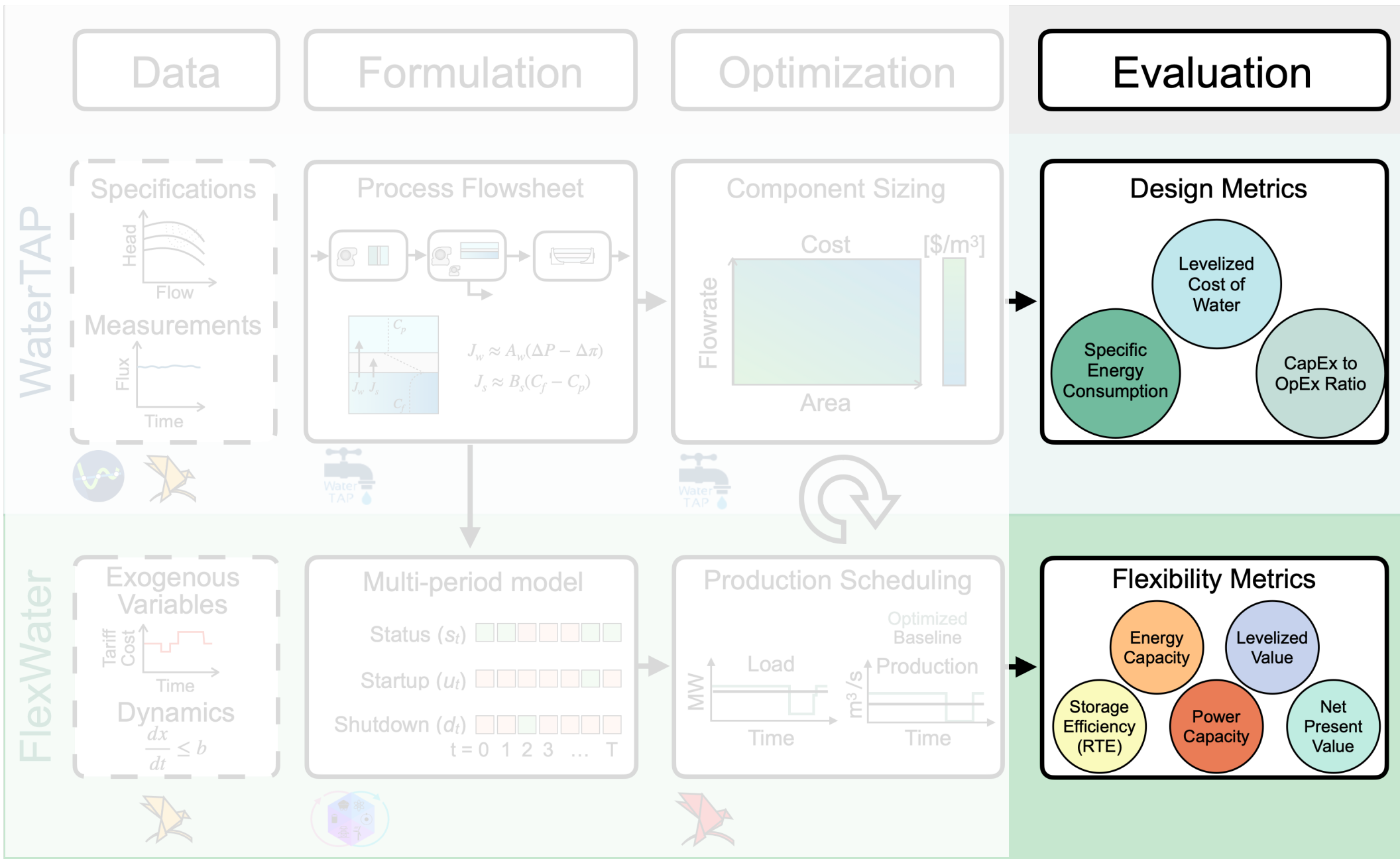
Seawater Desalination – Santa Barbara, CA (existing)



Indirect Potable Water Reuse – San Jose, CA (hypothetical)

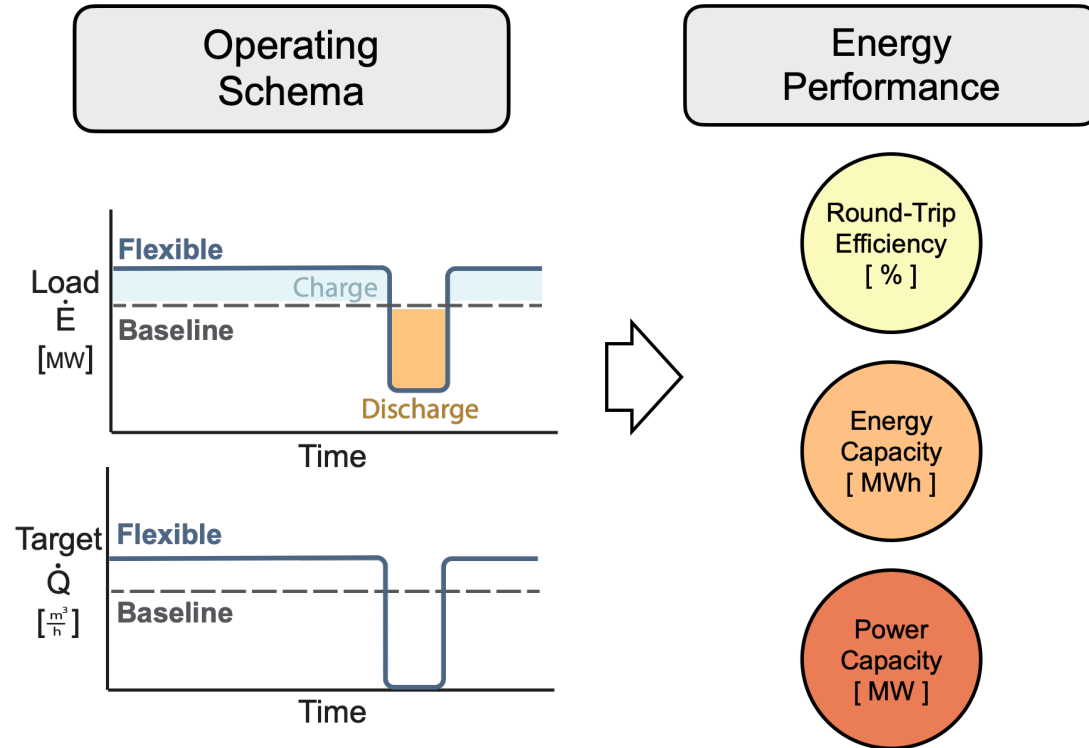


A framework for optimizing & valuing energy flexibility



Interactive web-app

Technoeconomic analysis for dynamic operations

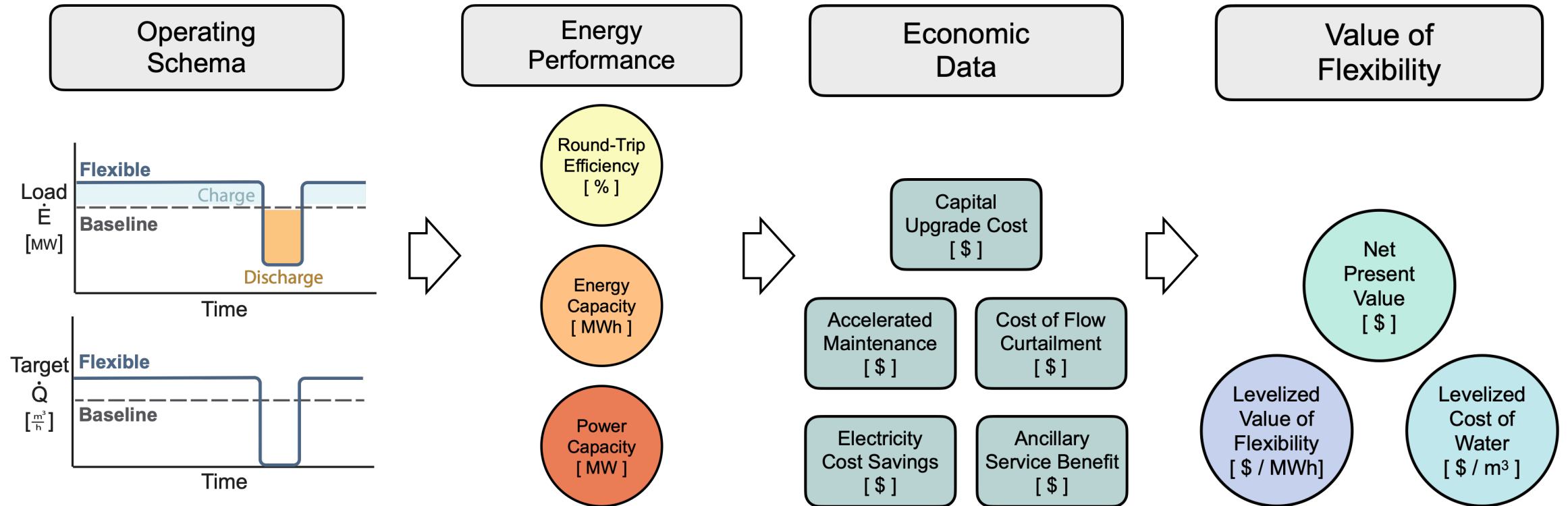


How efficient is the flexibility mechanism?

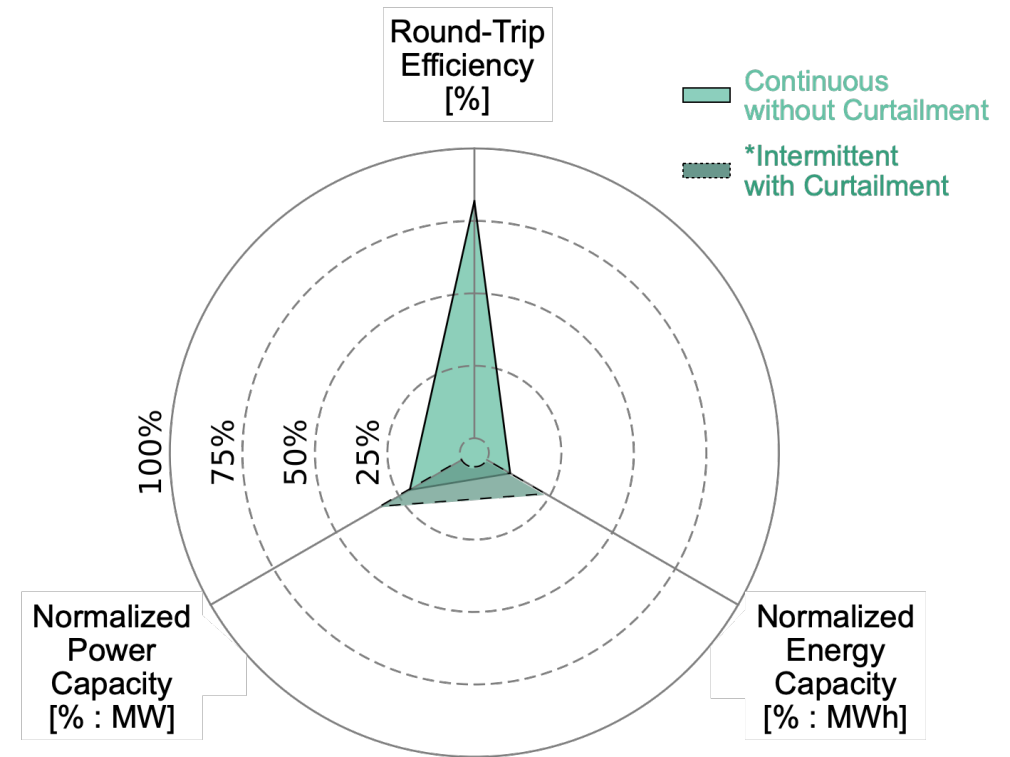
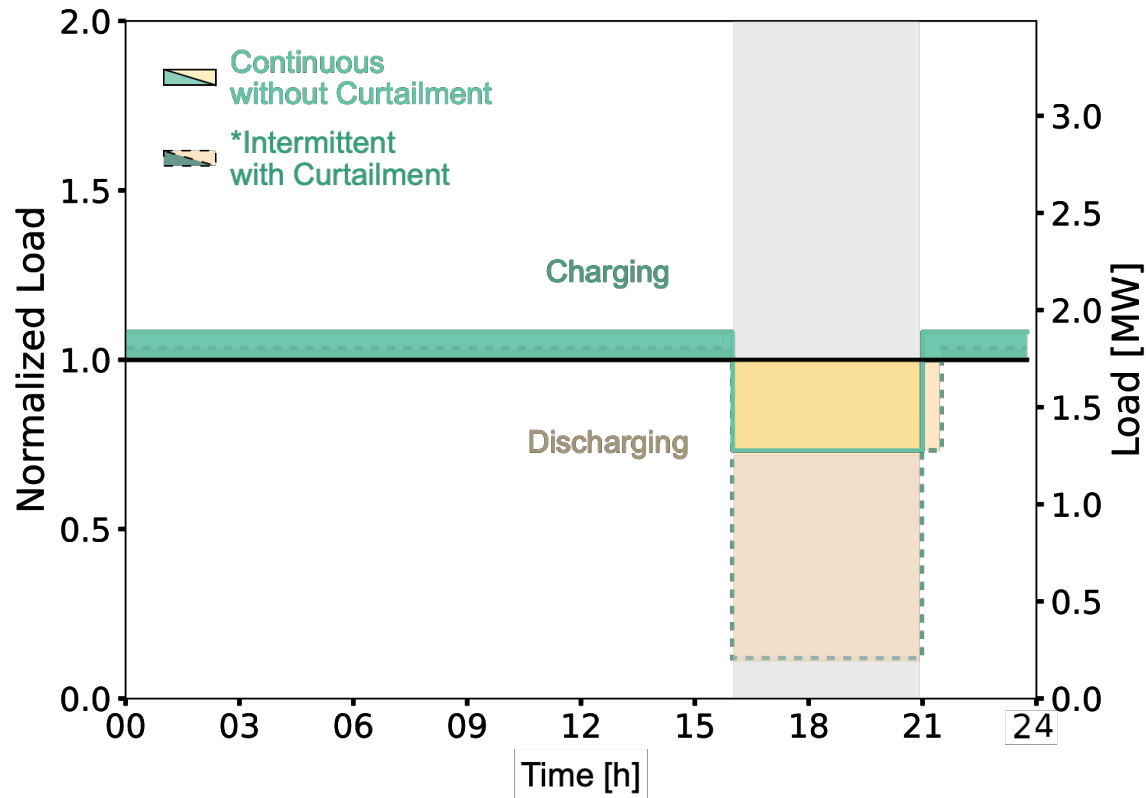
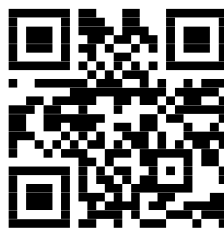
How much energy is shed/discharged?

How fast can the facility shed this energy?

Technoeconomic analysis for dynamic operations



Operationalizing Energy Flexibility Performance Metrics

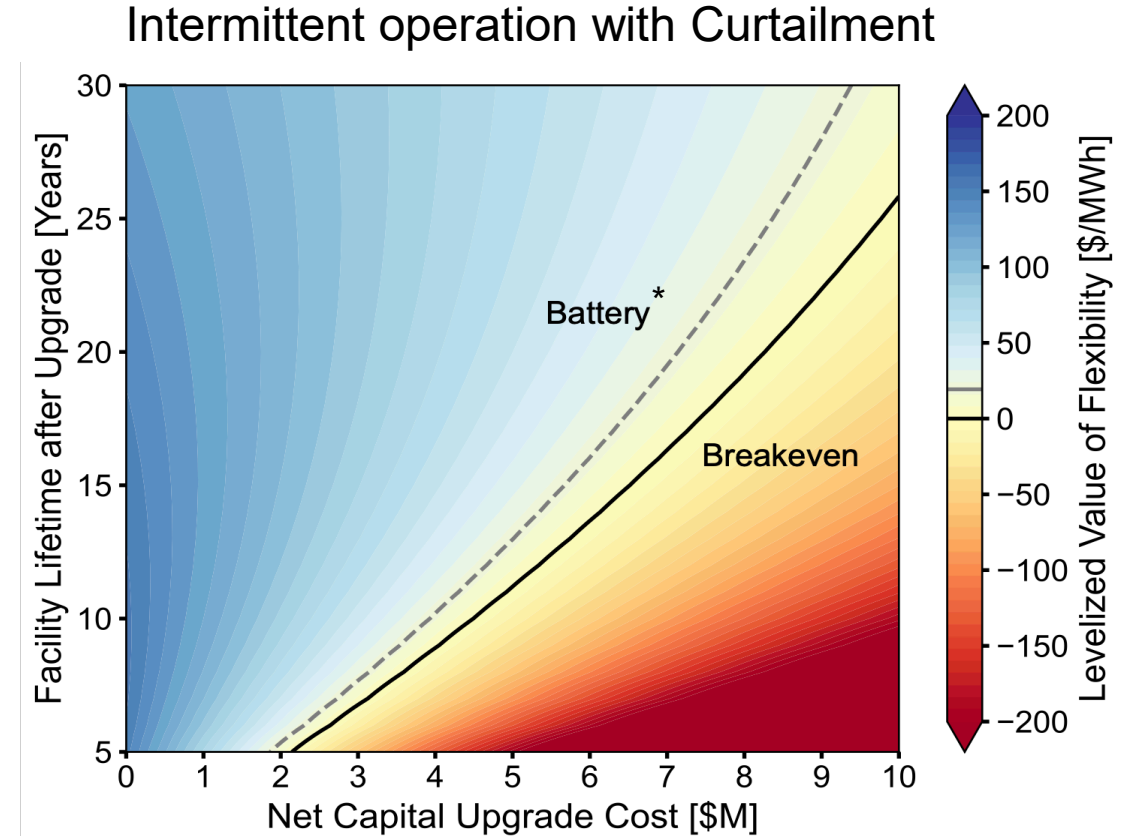
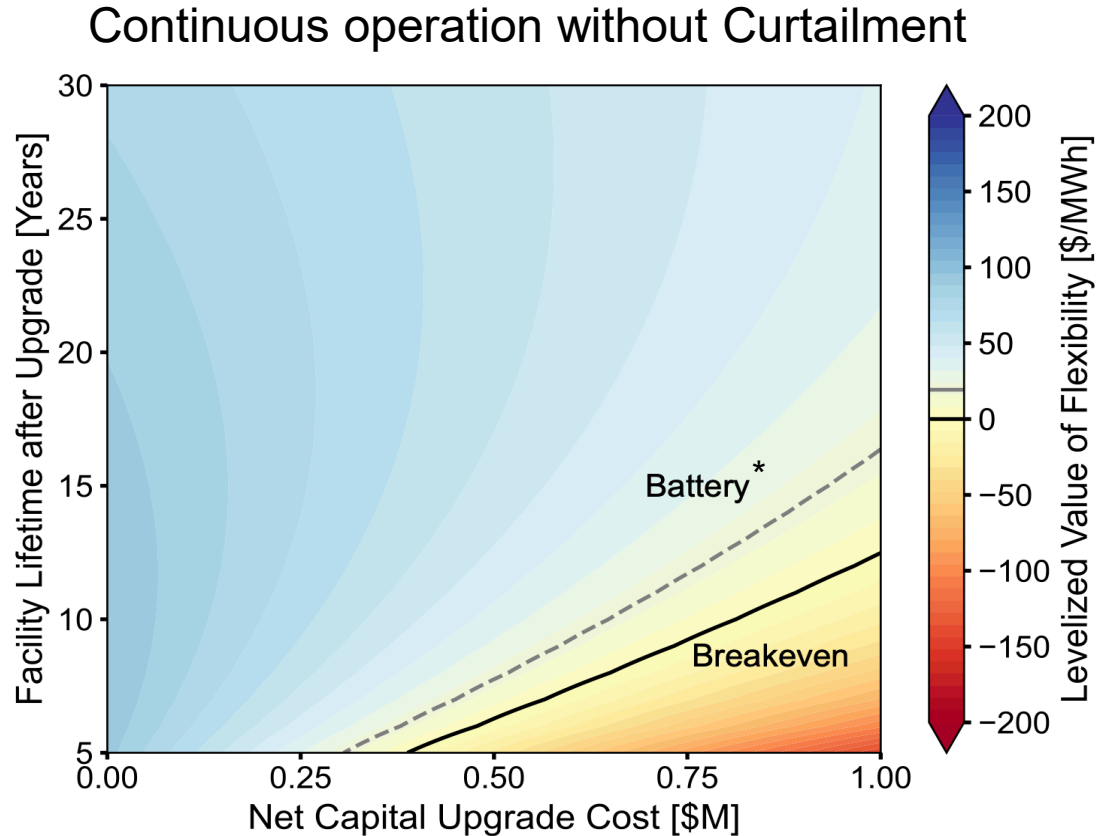


Desalination systems can operate continuously with variable recovery for high round-trip efficiency or operate intermittently by shutting down during peak hours to increase load shifting capacity

Capital cost and facility age determine value



How much can a plant afford to spend to upgrade for flexibility?



*The battery is modeled at 1-Load Hour Equivalent and \$450/kW CapEx

*Case study assumes SBCE tariff structure

Ongoing Work



Carson Tucker



Adhithyan Sakhivelu

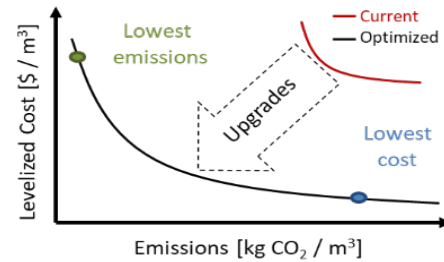


Fletcher T. Chapin

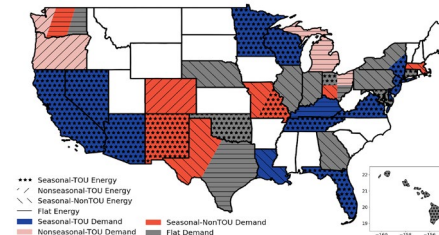
Facility Design

How do we (re) design infrastructure to maximize the benefits of flexibility?

Facility Design Changes

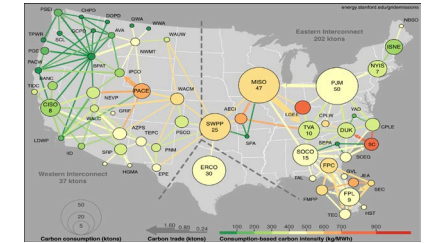


Industrial Tariffs



Chapin et al., (2024). *Scientific Data*.

Grid emissions factors

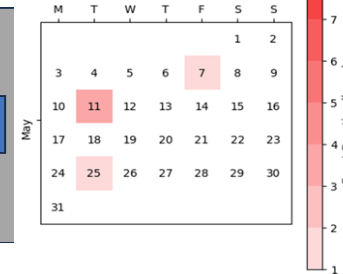
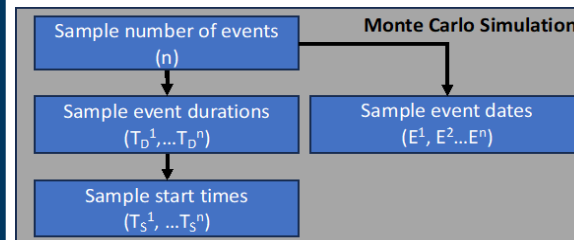


de Chalendar et al., (2019). *PNAS*.

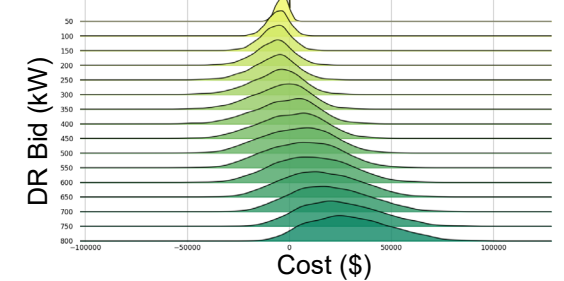
Demand Response (DR)

What is the value of DR and how should desalination plants bid into uncertain markets?

Event Simulation



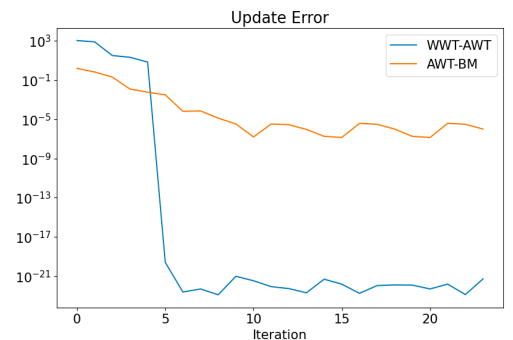
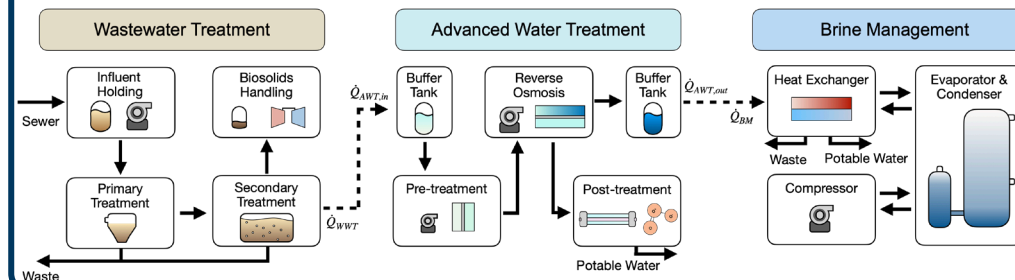
Robust Optimization



Multi-system Coordination

How does energy flexibility at a facility impact the rest of the network?

Optimization decomposition



Acknowledgements

Please reach out with questions!
raoak@stanford.edu



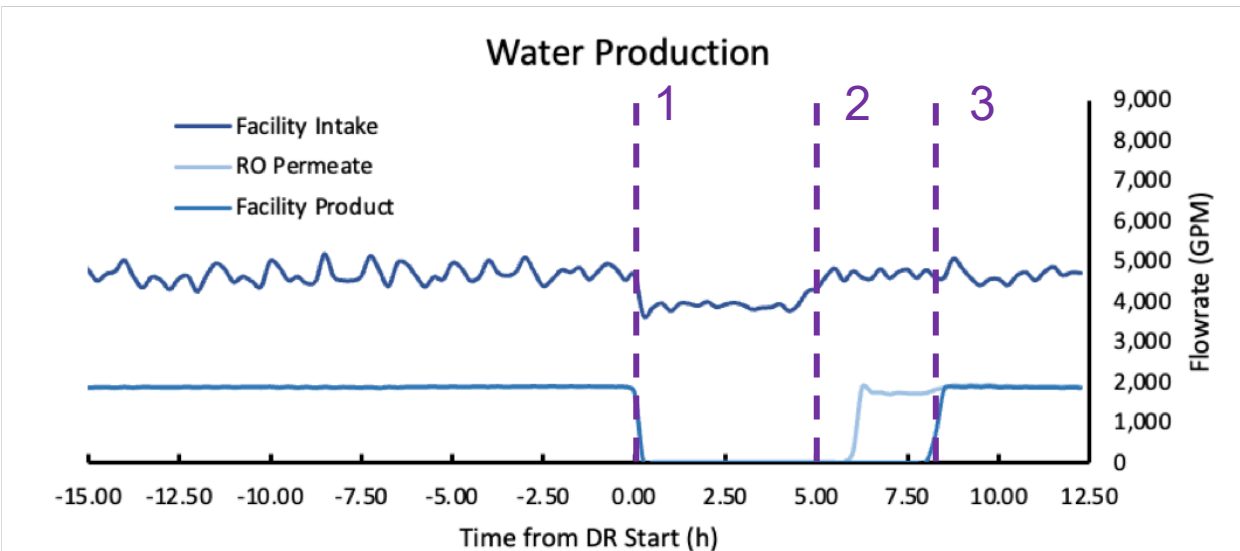
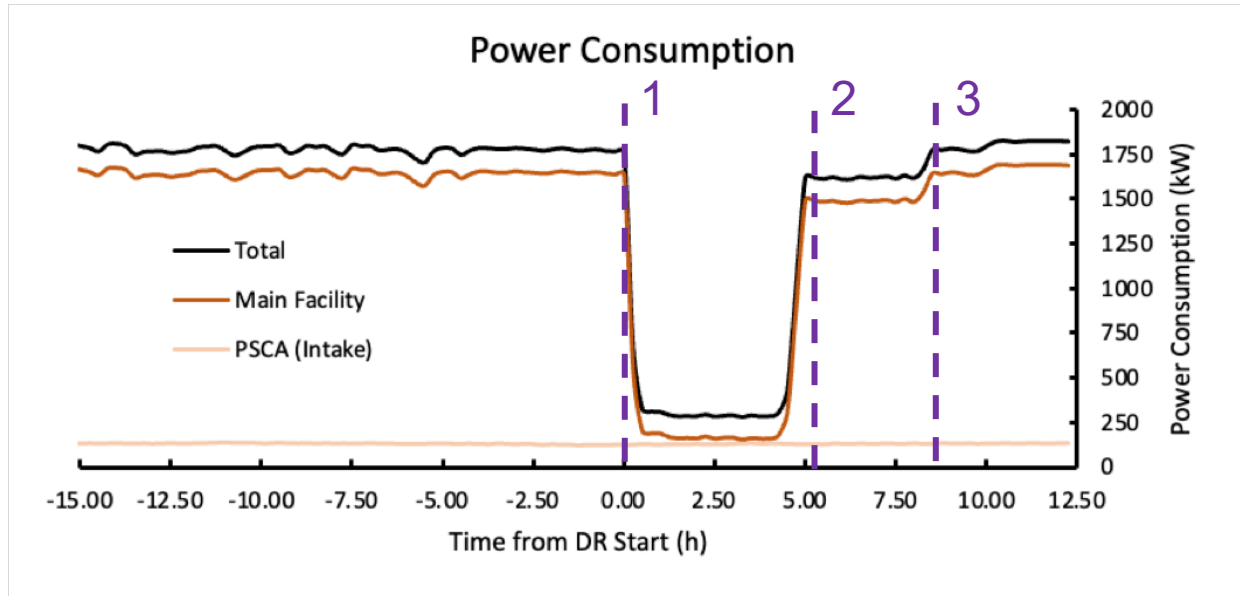
Tim Bartholomew
Adam Atia
Marcus Holly
Radhakrishna Gooty

Alex Dudchenko



Additional Slides

Multi-timesteep dynamics: capturing downstream delays



Post-treatment stabilization is modeled using a time delay with linear constraints

Shift Matrix ($\tau = 1$) Start-up Stabilization
 $S_\tau \in \{0,1\}^{T \times T}$ $u \in \{0,1\}^T$ $\zeta \in \mathbb{R}^T$

$$\begin{bmatrix} 1 & 0 & 0 & 0 & 0 \\ 1 & 1 & 0 & 0 & 0 \\ 0 & 1 & 1 & 0 & 0 \\ 0 & 0 & 1 & 1 & 0 \\ & & & \ddots & 0 \\ 0 & 0 & 0 & 1 & 1 \end{bmatrix} \begin{bmatrix} 0 \\ 1 \\ 0 \\ 0 \\ \vdots \\ 0 \end{bmatrix} = \begin{bmatrix} 0 \\ 1 \\ 1 \\ 0 \\ \vdots \\ 0 \end{bmatrix}$$

$$\dot{Q}_{product} = (1 - \zeta) \dot{Q}_{permeate}$$

1. Facility shuts down
2. RO turns on
3. Permeate quality is stable